

# Primeino Mediation



- Beyond the MSSM?
- A TeV-Scale  $Z'$
- Primeino mediation
- The spectrum
- Implications

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## Beyond the MSSM

Even if supersymmetry holds, MSSM may not be the full story

Most of the problems of standard model remain, new ones introduced  
(FCNC, EDM)

$\mu$  problem introduced:  $W_\mu = \mu \hat{H}_u \cdot \hat{H}_d$ ,  $\mu = O(\text{electroweak})$

Ingredients of 4d GUTs hard to embed in string, especially large  
Higgs representations, Yukawa relations

Remnants of GUT/Planck scale physics may survive to TeV scale

Specific string constructions often have extended gauge groups,  
exotics, extended Higgs/neutralino sectors (Defect or hint?)

Important to explore alternatives/extensions to MSSM

## Remnants Physics from the Top-Down

- $Z'$  or other gauge (may couple to quasi-hidden sector)
- Extended Higgs/neutralino (doublet, singlet)
- Quasi-Chiral Exotics
- Non-standard  $\nu$  mass (enhanced symmetries)
- Quasi-hidden (Strong coupling? SUSY breaking? Composite family?)
- Charge  $1/2$  (Confinement?, Stable relic?)
- Time varying couplings
- LED (TeV black holes, stringy resonances)
- LIV, VEP (speeds, decays, (oscillations) of HE  $\gamma$ ,  $e$ , gravity waves ( $\nu$ 's))

## A TeV-Scale $Z'$

- Strings, GUTs, DSB, little Higgs, LED often involve extra  $Z'$
- Typically  $M_{Z'} > 600 - 900$  GeV (Tevatron, LEP 2, WNC);  
 $|\theta_{Z-Z'}| < \text{few} \times 10^{-3}$  (Z-pole)  
(CDF di-electron: 850 ( $Z_{seq}$ ), 740 ( $Z_\chi$ ), 725 ( $Z_\psi$ ), 745 ( $Z_\eta$ ))
- Discovery to  $M_{Z'} \sim 5 - 8$  TeV at LHC, ILC,  
( $pp \rightarrow \mu^+ \mu^-, e^+ e^-, q\bar{q}$ ) (depends on couplings, exotics, sparticles)
- Diagnostics to 1-2 TeV (asymmetries,  $y$  distributions, associated production, rare decays)
- **SUSY  $Z'$  generally at SUSY-breaking scale** (unless along flat direction)

## Implications of a TeV-scale $U(1)'$

- Natural Solution to  $\mu$  problem  $W \sim hSH_uH_d \rightarrow \mu_{eff} = h\langle S \rangle$
- Extended Higgs sector ( $\langle S \rangle$  needed to break  $U(1)'$ )
- Large  $A$  term, tree-level  $CP$  violation (electroweak baryogenesis)
- Extended neutralino sector (collider, CDM)
- Exotics (anomaly-cancellation)
- Constraints on neutrino mass generation
- $Z'$  decays into sparticles/exotics
- Possible flavor changing neutral currents (rare  $B$  decays)

## Coupling of a $U(1)'$ to a Quasi-Hidden Sector

- $U(1)'$  may couple to both ordinary and (quasi)-hidden sectors
- Hidden valley effects if low scale (Strassler, Zurek)

- $\tilde{Z}'$  gaugino (primeino) mass may communicate supersymmetry breaking
  - Unusual spectrum: scalar masses and  $A$  terms at 1 loop; standard model gauginos at two loops
  - Predictive, but details depend on  $U(1)'$  charges and Yukawas
  - Motivated form of split supersymmetry (Arkani-Hamed, Dimopoulos), but may be some light scalars
  - FCNC, EDM suppression
  - Fine-tuning needed for electroweak scale, as in all split SUSY scenarios (anthropic motivation?)
  - Large  $\mu_{eff}$ ,  $Z'$  mass
  - Possible variant:  $U(1)'$  breaking in hidden sector

## $U(1)'$ Charges and Anomalies

- Most  $U(1)'$  models require exotic chiral fermions (may be vector under SM) to cancel anomalies
- Impose dynamical  $\mu$ :  $W \sim \mu H_u H_d$  forbidden but  $W \sim h S H_u H_d$  allowed
- Familiar  $E_6$  charge assignments  $E_6 \rightarrow \text{SM} \times U(1)_\chi \times U(1)_\psi$ 
  - Chiral spectrum
$$3 \times 27 = 3 \times [(u^c Q e^c) + (d^c L) + N^c + S + (D H_u) + (D^c H_d)]$$
  - $(N^c, S)$  = SM singlets;  $D$  = exotic quark with  $Q_{elm} = -1/3$
  - Non-minimal Higgs  $(S, H_u, H_d)$  sector; will have bino LSP

## A Minimal Model

- Chiral spectrum: 3 families (with  $N^c$ ); single ( $S, H_u, H_d$ );  $n_D$  color triplets  $D, D^c$ ;  $n_E$  color singlets  $E, E^c$  (no exotic doublets)
- Allow ordinary Yukawa interactions plus  $\lambda S H_u H_d$ ,  $h_D S D D^c$ ,  $h_E S E E^c$  allowed (for effective  $\mu$  and exotic masses)
- Allow  $H_u L N^c$  (or  $S H_u L N^c / M_{Pl}$  in variant)
- Anomaly conditions  $\Rightarrow n_D = 3, n_E = 2, Y_D = -Y_{D^c} = -1/3, Y_E = -Y_{E^c} = -1$
- If no additional chiral SM singlets, two solutions for  $Q_D$  in terms of  $(Q_{H_d}, Q_{H_u}, Q_Q)$ , but we restrict to two simple special cases,  $Q_Q = -Q_{H_d}/3$  or  $(Q_{H_u} - Q_{H_d})/6$

- For  $Q_{H_d} = 1$ ,  $Q_{H_u} = x \neq -1$ ,  $Q_Q = -1/3$ :

$$\begin{aligned}
 Q_S &= -(1+x), \quad Q_{u^c} = \frac{1}{3} - x, \quad Q_{d^c} = -\frac{2}{3}, \\
 Q_L &= \frac{2}{3} - \frac{1}{3}x, \quad Q_{e^+} = -\frac{5}{3} + \frac{1}{3}x, \quad Q_{N^c} = -\frac{2}{3}(1+x), \\
 Q_D &= \frac{8}{9} + \frac{2}{9}x, \quad Q_{D^c} = \frac{1}{9} + \frac{7}{9}x, \quad Q_E = \frac{5}{3} - \frac{1}{3}x, \quad Q_{E^c} = -\frac{2}{3} + \frac{4}{3}x
 \end{aligned}$$

- Can have additional non-chiral (hidden sector, gauge unification)

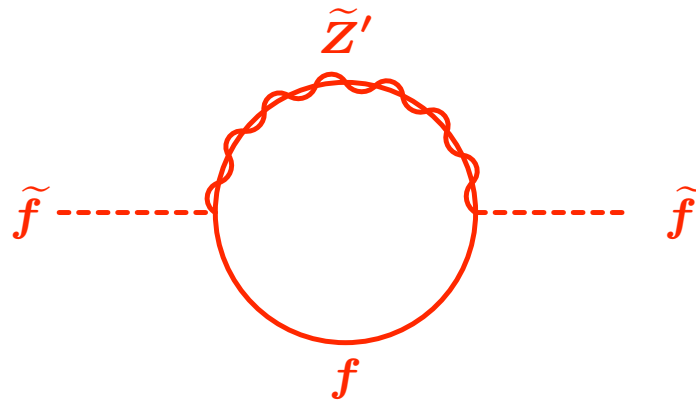
- $W = \lambda S H_u H_d + h_{D_i} S D_i D_i^c + h_{E_j} S E_j E_j^c + \text{quark} + \text{lepton}$

## The Soft Spectrum

- $M_{\tilde{Z}'}$  generated below  $\sqrt{F}$  in hidden sector;  $\ln(\sqrt{F}/M_{\tilde{Z}'}) \sim 10 - 1$ , dependent on dynamics (will find  $M_{\tilde{Z}'} \sim 10^3 - 10^4$  TeV)

$$\frac{dm_{\phi_i}^2}{d \ln \mu} = \frac{-8g_1'^2 Q_i^2 M_{\tilde{Z}'}^2}{16\pi^2} + \text{Yukawa}$$

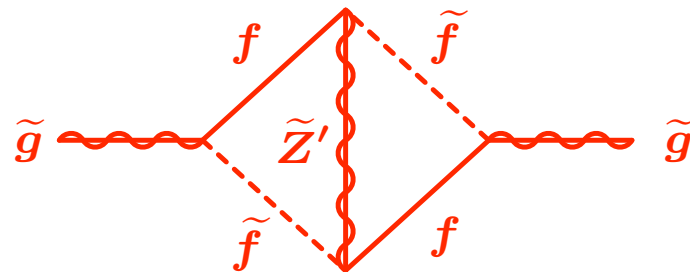
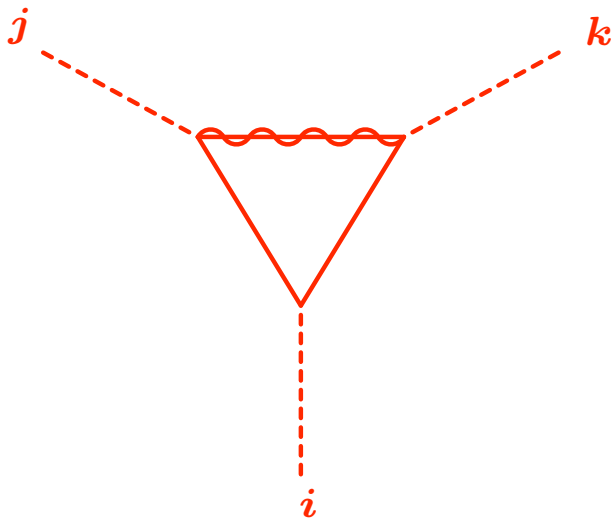
- Take  $g_1' \sim \sqrt{\frac{5}{3}}g_Y$  (for similar charge normalization)



- Similarly,

$$\frac{dA}{d \ln \mu} = \frac{-4g_1'^2(Q_i^2 + Q_j^2 + Q_k^2)M_{\tilde{Z}'}}{16\pi^2}$$

$$\frac{dM_{\tilde{q}_a}}{d \ln \mu} = -8 \left( \frac{g_a^2}{16\pi^2} \right) \left( \frac{g_1'^2}{16\pi^2} \right) \text{Tr}(Q^2 T_a^2) M_{\tilde{Z}'}$$



- All scalar mass-squares positive. Negative contribution from large Yukawas  $\lambda$ ,  $h_t$ ,  $h_b$ ,  $h_{D_i}$ ,  $h_{E_j}$ , e.g.,

$$\frac{dm_S^2}{d \ln \mu} = \frac{-8g_1'^2 Q_S^2 M_{\tilde{Z}'}^2 + 4\lambda^2 \Sigma_\lambda + 6h_{D_i}^2 \Sigma_{D_i} + 2h_{E_j}^2 \Sigma_{E_j}}{16\pi^2}$$

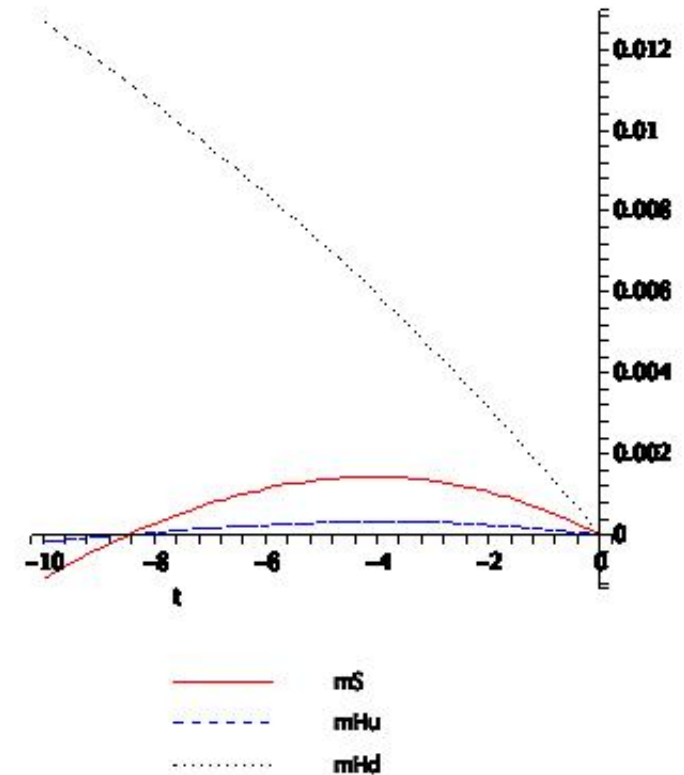
$$\Sigma_\lambda \equiv m_S^2 + m_{H_u}^2 + m_{H_d}^2$$

$$\Sigma_{D_i} \equiv m_S^2 + m_{D_i}^2 + m_{D_i^c}^2$$

$$\Sigma_{E_j} \equiv m_S^2 + m_{E_j}^2 + m_{E_j^c}^2$$

- Integrate RGE
- Can easily drive  $m_S^2$  negative and  $m_{H_u}^2$  small (and possibly negative)

- Find large  $s \equiv \langle S \rangle = \sqrt{-m_S^2/g_1'^2 Q_S^2} \sim$   
 $M_{\tilde{Z}'}, M_{Z'} = \sqrt{-2m_S^2}$



- Electroweak scale  $v \ll s$  (and one light Higgs) by one fine tuning (typical of split SUSY: Arkani-Hamed, Dimopoulos). **Anthropic motivation?**

- Regard  $s$  as fixed, minimize potential for  $v_{u,d} \equiv \langle H_{u,d}^0 \rangle$  (only small shift due to  $v_{u,d}$ )
- Need one negative eigenvalue of  $H_{u,d}^0$  mass matrix  $M_H^2$  near electroweak scale

$$M_H^2 = \begin{pmatrix} m_{H_u}^2 + (\lambda^2 + g_1'^2 Q_S Q_{H_u}) s^2 & -\lambda s A_\lambda \\ -\lambda s A_\lambda & m_{H_d}^2 + (\lambda^2 + g_1'^2 Q_S Q_{H_d}) s^2 \end{pmatrix}$$

- $\mu_{eff} = \lambda s > 100 \text{ GeV}$ ;  $A_\lambda \sim 10 \text{ TeV} \Rightarrow \lambda s A_\lambda > (1 \text{ TeV})^2$
- $\tan \beta \equiv \frac{v_u}{v_d} \sim \frac{m_{H_d}^2 + (\lambda^2 + g_1'^2 Q_S Q_{H_d}) s^2}{\lambda s A_\lambda}$  (large)

- Require other scalar mass-squares positive after including  $F$  terms,  $U(1)'$   $D$  terms and  $A$  term mixing (charges constrained)

- **Example:**  $Q_{H_u}/Q_{H_d} = -1/3$ ,  $h_{D_i} = 0.4$ ,  $h_{E_i} = 0.8$ ,  $\lambda = 0.07$   
 $M_{\tilde{Z}'} = 10^3$  TeV,  $\ln(\sqrt{F}/M_{\tilde{Z}'}) = 10$ ; all results in TeV  
 (results preliminary; RGE below  $M_{\tilde{Z}'}$  only estimated)

$s = 270$	$M_{Z'} = 46$	$M_S = M_{Z'}$	$\mu_{eff} = 19$	
$m_{H_1} \sim 0.13$	$m_{H_2} = 110$	$\tan \beta = 45$		
$A_\lambda = -13$	$A_D = -9$	$A_E = -41$	$A_{u_3^c} = -6$	$A_{d_3^c} = -13$
$m_{\tilde{D}_1} = 110$	$m_{\tilde{D}_2} = 150$	$m_D = 110$	$m_{D^c} = m_D$	
$m_{\tilde{E}_1} = 250$	$m_{\tilde{E}_2} = 310$	$m_E = 210$	$m_{E^c} = m_E$	
$m_{\tilde{Q}_{1,2}} = 49$	$m_{\tilde{u}_{1,2}^c} = 80$	$m_{\tilde{d}_{1,2}^c} = 92$		
$m_{\tilde{Q}_3} = 19$	$m_{\tilde{u}_3^c} = 71$	$m_{\tilde{d}_3^c} = 76$		
$m_{\tilde{L}} = 94$	$m_{\tilde{e}^+} = 24$	$m_{\tilde{N}^c} = 63$		
$m_{\tilde{g}_1} = 0.48$	$m_{\tilde{g}_2} = 0.14$	$m_{\tilde{g}_3} = 0.68$		

## Typical results (may be modified in exceptional cases)

- SM gauginos in 100 GeV range; rapid cascades/decays
- Wino LSP (sets scale) (modified by supergravity)
- $m_{\tilde{g}_2^+} - m_{\tilde{g}_2^0} \sim 160 \text{ MeV}$  (loop);  $\tilde{g}_2^+ \rightarrow \tilde{g}_2^0 \pi^+$
- $M_{\tilde{Z}'} \sim 10^3 \text{ TeV}$
- $M_{Z'}$ , scalars, second Higgs, exotic fermions  $\sim 10^2 \text{ TeV}$  (some may be lighter)
- $\mu_{eff}$  (Higgsinos),  $A-$  terms  $\sim 10 \text{ TeV}$
- Higgs  $\sim 120 - 140 \text{ GeV}$  (prelim estimate); large  $\tan \beta$

## Gravitinos and Gauginos

- Wino LSP efficiently annihilates,  $\Omega_{\tilde{g}_2} h^2 \sim 0.025 (m_{\tilde{g}_2}/\text{TeV})^2$
- Experiment:  $\Omega h^2 \sim 0.11$ , i.e., must increase  $m_{\tilde{g}_2}$ , have enhanced production mechanism, or additional DM (e.g., axions)
- Have so-far ignored supergravity. Sugra contribution to soft parameters may be of order  $m_{3/2} \gtrsim F/\sqrt{3}M_{Pl}$
- In example,  $\sqrt{F} \sim 2 \times 10^7 \text{ TeV}$  (but could be lower or higher)  $\Rightarrow m_{3/2} = \mathcal{O}(100 \text{ GeV})$ , comparable to  $m_{\tilde{g}}$

- **Constraints on  $m_{3/2}$** 
  - Stable  $m_{3/2} \gtrsim \text{keV}$  overcloses universe unless reheating temperature  $T_R \lesssim 10^8 m_{3/2}$
  - Even with lower  $T_R$ , NLSP decays to gravitino upset BBN if hadron/electromagnetic (SuperWimp succeeds only for slepton NLSP)
  - Decay of unstable gravitino upsets BBN unless either  $m_{3/2} > 10 - 100 \text{ TeV}$  or  $T_R < 10^6 - 10^7 \text{ GeV}$
- **Compatible with primeino scenario for wino LSP with comparable two-loop and sugra contributions** (may increase wino mass closer to CDM value), and low  $T_R$
- **Alternative: larger  $m_{3/2}$  with reduced sugra contribution to soft** (cf anomaly mediation)
- **SM gaugino masses therefore very model dependent, but no significant sugra effect on other soft parameters**

## Other Implications

- May be additional charged non-chiral matter (gauge unification, hidden sector)
- Some exotics stable at order-4 level  $\Rightarrow$  either low reheating temperature or alternative  $U(1)'$  charge assignment
- $U(1)'$  ensures  $R_p$  conservation
- $U(1)'$  prevents large Majorana masses for minimal seesaw. Dirac mass allowed at order-3 by assumption.
  - Alternative  $U(1)'$  assignment only allows  $W \sim SH_u LN^c / M_{Pl}$   
 $\Rightarrow$  Dirac mass  $\sim sv_u / M_{Pl} \sim 0.02$  eV (  $R_p$  still conserved)
- Nature of phase transitions, baryogenesis?

## Conclusions

- Coupling of  $U(1)'$  to quasi-hidden sector quite possible but little explored
- $\tilde{Z}'$  (primeino) mediation implies a form of split SUSY, with one fine tuning
- Novel spectrum. Details dependent on  $U(1)'$  charges, but usually squarks, sleptons, exotics, second Higgs,  $Z'$ ,  $\mu_{eff}$ ,  $A$  at 10 -100 TeV level.
- Usually only light SM gauginos at TeV scale, with comparable sugra contributions. May be wino LSP. Rapid cascades/decays
- Some versions imply light Dirac neutrino by HDO